# Characterizing In Situ and In Transit Analytics of Molecular Dynamics Simulations for Next-generation Supercomputers

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# **Trends in Next-Generation Systems: IO Gap and Ensembles**





## **Classical Molecular Dynamics Simulations**





# **Classical Molecular Dynamics Simulations**



Forces on single atoms
 Acceleration
 Velocity
 Position

- MD step computes forces on single atoms (e.g., bond, dihedrals, nonbond)
  Forces are added to compute acceleration
- Acceleration is used to update velocities
- •Velocities are used to update the **atom positions**

**Store 3D snapshot or frame** 

•Every n steps (Stride)

# **Extending HPC to Integrate Data Analytics**



### Augmenting HPC with In Situ and In Transit Analytics





#### Example of tools:

- DataSpaces (Rutgers U.)
- DataStager (GeorgiaTech)



















Frames (or snapshots) of an MD trajectory:



- We want to capture what is going on in each frame **without**:
  - Disrupting the simulation (e.g., stealing CPU and memory on the node)
  - Moving all the frames to a central file system and analyzing them once the simulation is over
  - Comparing each frame with past frames of the same job
  - Comparing each frame with frames of other jobs



Frames (or snapshots) of an MD trajectory with a stride of 5 steps:



variables (55)



























Frames (or snapshots) of an MD trajectory with a stride of 5 steps:

Collective Collective Collective Collective Collective Collective variables(55) variables(60) variables(65) variables(70) variables(75) variables(80)

#### Collective variables can serve as proxy for structural and conformational changes

<sup>21</sup> Travis Johnston, Buyu Zhang, Adam Liwo, Silvia Crivelli, and Michela Taufer. *"In-Situ Data Analysis and Indexing of Protein Trajectories,"* JCC 2017.



### **Dataflow Modeling for Analytics**



### **Generator of MD Frames**





### **Generator of MD Frames**

Molecular System	Ν	GPU	#GPU/Node	Nodes	ns/day	Package	Source	Cluster
Apoa1	92K	V100	2	1	78	NAMD 2.13	NAMD benchmarks	NVIDIA PSG cluster
Gltph	268K	P100	2	1	55	GROMACS	This work	Rockefeller Uni. cluster
STVM	1M	V100	2	1	7.5	NAMD 2.13	NAMD benchmarks	NVIDIA PSG cluster
STMV matrix systems (5x2x2)	21M	V100	6	1024	128	NAMD 2.13	NAMD benchmarks	SUMMIT
STMV matrix systems (7x6x5)	224M	V100	6	1024	24	NAMD 2.13	NAMD benchmarks	SUMMIT
STMV matrix systems (10x10x10)	1.07B	K20X	1	8192	4	NAMD 2.12	NAMD benchmarks	TITAN GPU





T cell receptor 81,092 atoms





Gltph 270,088 atoms



### **Analysis: Proxy for Performance**

#### bipartite distance matrices



#### **Data Analytics**

T. Johnston et al. In-Situ Data Analytics and Indexing of Protein Trajectories. *Journal of Computational Chemistry (JCC),* 38(16):1419-1430, 2017.



### **Analysis: Proxy for Performance**



bipartite distance matrices





### **Analysis: Proxy for Performance**

1e6 Х 0 X 1.6  $\left(\frac{N_{\alpha}}{m}\right)\frac{\left(\frac{N_{\alpha}}{m}-1\right)}{2}$ 10<sup>5</sup> Х 0 0 Х d 1.4 (1.2 minute) 1.2 minute) 1.0 Elements)  $\begin{array}{cccc} 0 & 0 & \times & \times \\ d & \times & 0 & 0 \\ \times & \times & 0 & 0 \end{array}$ Х D =0 104 Х # of Matrices 0 Х eigenvalues 0 0 Lx ХХ 0 10<sup>3</sup> max  $(2m)^2$ # 8.0 Size 9.0 Analytics **Dataflow** Matrix 2.0 representations 10<sup>1</sup> 10<sup>0</sup> 0.0 Retriever 100 200 300 400 500 600 0 Many small **Few large** Segment Length (m) matrices matrices **Data Analytics** 



bipartite distance matrices

Frame at time t: Two  $\alpha$ -helixes















#### **Few large matrices**

Distances of two segments with segment length:  $N\alpha/2 * C^{\alpha}$  atoms Segments:

 $\begin{bmatrix} C^{\alpha}_{1} \Box C^{\alpha}_{N\alpha/2} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{N\alpha/2} \Box C^{\alpha}_{N\alpha/2} \end{bmatrix}$ Metadata: Single  $\boldsymbol{\lambda}_{max}$   $\begin{bmatrix} C_{1}^{\alpha} & C_{N\alpha}^{\alpha} \\ C_{1}^{\alpha} & 0 & d_{ij} \\ C_{N\alpha/2-1}^{\alpha} & d_{ij} \end{bmatrix}$ 





#### **Many small matrices**

Distances of N $\alpha$ /2 segments with segment length: 2 \* C<sup> $\alpha$ </sup> atoms

Segments :  $\begin{bmatrix} C^{\alpha}_{1} \Box C^{\alpha}_{2} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{3} \Box C^{\alpha}_{4} \end{bmatrix}$   $\begin{bmatrix} C^{\alpha}_{5} \Box C^{\alpha}_{6} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{7} \Box C^{\alpha}_{8} \end{bmatrix}$ 



$$[C^{\alpha}_{N\alpha/2-3} \Box C^{\alpha}_{N\alpha/2-2}][C^{\alpha}_{N\alpha/2-1} \Box C^{\alpha}_{N\alpha/2}]$$
  
Metadata:

 $\lambda_{max, 1} \lambda_{max, 2} \dots \lambda_{max, N\alpha/2}$ 





#### **Many small matrices**

Distances of  $N\alpha/2$  segments with segment length:  $C^{\alpha}_{1.}$ Ca  $2 * C^{\alpha}$  atoms Segments :  $\begin{bmatrix} C^{\alpha}_{1} \Box C^{\alpha}_{2} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{3} \Box C^{\alpha}_{4} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{5} \Box C^{\alpha}_{6} \end{bmatrix} \begin{bmatrix} C^{\alpha}_{7} \Box C^{\alpha}_{8} \end{bmatrix}$ 0 dij  $[C^{\alpha}_{N\alpha/2-3} \Box C^{\alpha}_{N\alpha/2-2}][C^{\alpha}_{N\alpha/2-1} \Box C^{\alpha}_{N\alpha/2}]$ Metadata: 0 dji  $\lambda_{max, 1} \lambda_{max, 2} \dots \lambda_{max, N\alpha/2}$ 



Segment size = proxy of number of matrices and matrix sizes







#### **MD Simulation Time**





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### **Dataflow Modeling for Analytics**





# **Modeling Idle Times**



S1, S2, S3: Generate MD frameW1, W2, W3: Write to shared memoryR1, R2, R3: Read from shared memoryA1, A2: Analyze frame



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# **Modeling Idle Times**

#### Single Node (In Situ)







Balanced

















### **2-step Model: Fraction of Analyzed Frames**



BIG**ORANGE** BIG**IDEAS** 

### **2-step Model: Fraction of Analyzed Frames**



Error: Absolute error between data and fitting model





# **2-step Model: Frames Distribution**

- Given a trajectory, we model the proportions *p* and *q* of analyzed frames (*f*) with periods *k* and *k*+1
  - Example: Gltph (27,000 atoms and TPS 318), trajectory of 1,000 frames.









Frame 1390



Frame

1390



Frame

1360



Frame

1330









# **Lessons Learned**

- We measure and analyze the execution patterns associated with in situ and in transit dataflows
- We build a 2-step model to predict which frames are analyzed, given a molecular system, analytic module, and analytic parameters
- We apply our 2-step model to a case study to understand the impact of analytics parameters on capturing rare MD simulation events
- Future direction: leverage ML to drive decisions on what frames to capture and store at runtime based on scientific information



